Program Pure Mathematics COURSE Course code Semester Course status ECTS Contact hours (L+AE+LE) EDU 310 V Mandatory course 4 2+0+0 Lecturer The main goal of the course is to introduce students to the evolution of modern mathematical concepts and the place and role of mathematics in the history of ideas. Learning Outcomes After completing the course, the student will: have an insight into the origin and development of modern mathematical disciplines; be familiar with the information necessary for the professional culture of mathematicians. COURSE CONTENT Axiomatic method. Euclid's fifth postulate. Geometry of Lobachevsky. Continuum hypothesis. Infinitesimal calculus. Arithmetization of Analysis Coordinate method. Differential geometry. From arithmetic to abstract algebra. Functional analysis Topology. Set-theoretic topology. Algebraic topology. Amety and probability theory.
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- Topology. Set-theoretic topology. Algebraic topology.
- Measure theory and probability theory
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- Foundations of mathematics. Logicism, Intuitionism, and Formalism Gödelov theorem.
- Theoretical computer science.
- Professional culture of mathematicians. Centres of Mathematical Excellence. Professional associations.
- International congresses of mathematicians. Fields Medal and other awards for outstanding achievements
- Leading Mathematical Journals. Large Mathematical Editions. MathSciNet, EMIS and other bibliographic
databases
- Classification of mathematical sciences.
[1] E. E. Kramer. The Nature and Growth of Modern Mathematics. Princeton University Press 1982
[2] E. Stipanić, Putevima razvitka matematike, Vuk Karadžić, Beograd, 1987
[3] J. Stillwell, Mathematics and its history, Springer-Verlag, New York 1997
STUDENT WORKLOAD (hours in a semester)
Lectures30Tutorial0Individual work70T o t a l100
GRADING REMARKS
Critarion Maximum Minimum Midterm exam: only once in semester (end of
points points November or first week of December). Students
Midterm exams5025altogether write 120 minutes long test. This test is
Homework assignment evaluated by max 50 points. The minimal score of the test is 25 points
Project Itest is 25 points.
Laboratory Final exam: Students who do not reach the midterm
assignments exam minimal score must take the entire course in the
Final exam5030final exam. In this case, the final exam is evaluated by
T o t a l 100 55 max 100 points. The final exam's minimal score is 55
points. Students who reach the midterm exam minimal
covered by the midterm test. In this case, the final exam
is evaluated by max 50 points. The minimal score is 30
points.