	Level		Second cycle									
Program	Name of the program		Applied Mathematics, Pure Mathematics, Mathe Education									
COURSE												
Course title	Integral Equations with Applications											
Course code	Semester	Course state	us		ECTS	Contact	hours					
						(L+AE+LE	.)					
AMAT 525	III	Elective course		'	7	3+2+0						
Lecturer												
Course Goals	Integral equations are a useful tool for modelling various physical phenomena. The main goal of this module is to introduce students to methods for solving integral equations and the classic Fredholm theory.											
Learning Outcomes	After passing the module, the student is expected to master techniques for solving integral equations and methods of determining the existence of solutions to integral equations.											

COURSE CONTENT

- Introduction: Finite difference approximations; Fredholm alternative; Hadamard's inequality; Hilbert spaces;
- Basic theorems of existence: Fixed point theorems; Volterra's equations; Kernel with weak singularities; Degenerate nuclei; Volterra equations of the first type;
- Integral equations with L2 kernels: Compact operators; Autoadjoint compact operators; Applications to differential equations; Positive operators; Fredholm equations with autoadjoint compact operators; Fredholm alternative; Weight integral operators;
- Applications to partial differential equations: Linear functionals; Ordinary differential operators; Partial differential operators;
- Fourier transformation: Applications of Fourier transformation; Laplace transform; Application of Laplace transform; Hankel transformation; Mellin transformation; Projection method; Wiener-Hopf technique I; Wiener-Hopf equations of the first type; Dual integral equations;
- Fredholm theory: Integer functions; Analytical structures; Positive kernels;
- Nonlinear equations: Schauder's fixed point theorem; Application;

LITERATURE

- [1] Harry Hochstadt, Integral equations, 1983
- [2] Masujima, M. Applied Mathematical Methods of Theoretical Physics Integral Equations and Calculus of Variations. Weinheim, Germany: Wiley-VCH, 2005. ISBN: 3527405348.

STUDENT WORKLOAD (hours in a semester)											
Lectures	45	Exercises	30	Individual work	100	Total	175				
	GRA	DING	REMARKS								
Criterion		Maximum	Minimum								
		points	points								
Midterm exams		50 25									
Final exam		50 30									
Total		100	55								